



**SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY:: PUTTUR  
(AUTONOMOUS)**

Siddharth Nagar, Narayanavanam Road – 517583

**QUESTION BANK**

**Subject with Code :** FEM IN STRUCTURAL ENGINEERING(18CE1005) **Regulation:** R18

**Course & Branch:** M.TECH- STRUCTURAL ENGINEERING

**Year & Sem:** I-M.TECH & II-Sem

**UNIT-I**

**INTRODUCTION AND PRINCIPLES OF ELASTICITY**

1. Explain the different steps involved in FEM [12M]
2. (a) What are the merits, demerits and limitations of Finite Element Methods? [6M]  
(b) Explain in detail finite element method procedure with an example. [6M]
3. What is potential energy? State and explain the principle of minimum potential energy. [12M]
4. Using Rayleigh – Ritz method determine the expression for maximum displacement, when The cantilever beam subjected to point W,KN at the free end. Also, compare it with the standard expression. [12M]
5. Using Rayleigh-Ritz method determine the expression for deflection and B.M in a SSB Subjected to udl over entire span. Find the deflection and moment at mid span and Compare with exact solution. [12M]
6. Draw a typical three-dimensional element and indicate state of stress in their positive Sense and also derive the equations of equilibrium in case of a 3-D stress system. [12M]
7. A beam AB of span L simply supported at ends and carrying a concentrated load W at the Centre C .Determine the deflection At mid span by using Rayleigh-Ritz method and compare with exact solution. [12M]
8. (a) Explain plane stress problem and plane strain problems. [6M]  
(b) Explain axi-symmetric problem. [6M]
9. (a) Explain discretization and classification of discretization. [6M]  
(b) Explain nodes at discontinuities. [6M]
10. A bar of uniform cross section is clamped at one end and left free at other end and free at End is Subjected to a uniform axial load P. Calculate the displacement and stress in a bar by Using two terms polynomial and 3 terms polynomial. Compare with exact solution. [12M]



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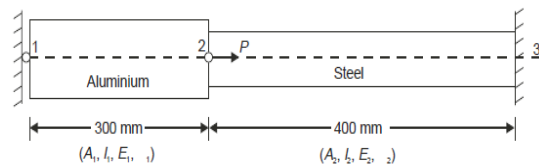
1. Derive Stiffness matrix for 1D – two noded linear bar element. [12M]
2. A 2 Noded truss element having the nodal displacement are  $u_1=5\text{mm}$  and  $u_2=8\text{mm}$  at the ends. Calculate the displacement at  $x=L/4, L/3$  and  $L/2$ . [12M]
3. Determine the nodal displacements at node 2, stresses in each material and element stiffness matrix for each element as shown in Fig., due to applied force [12M]

$P = 400 \times 10^3 \text{N}$ .

$A_1 = 2400 \text{ mm}^2$  &  $A_2 = 1200 \text{ mm}^2$

$L_1 = 300 \text{ mm}$  &  $L_2 = 400 \text{ mm}$

$E_1 = 0.7 \times 10^5 \text{ N/mm}^2$  &  $E_2 = 2 \times 10^5 \text{ N/mm}^2$



4. Briefly explain shape function and derive shape function for 1D – two noded line element. [12M]
5. Consider a bar as shown in figure. Cross sectional area of the bar is  $750 \text{ mm}^2$  and  $E= 2 \times 10^5 \text{ N/mm}^2$ . If  $u_1=0.5 \text{ mm}$  and  $u_2= 0.625 \text{ mm}$ . Calculate the following [12M]

- i) Displacement at point(p)  $1 \bullet \text{-----} P \bullet \text{-----} 2$
- ii) Strain  $x_1=375\text{mm}$   $x_2=500\text{mm}$   $x_3=575\text{mm}$
- iii) Stress
- iv) Element Stiffness Matrix
- v) Strain Energy

6. Derive of the displacement function(u) and shape function (N) for 1-D linear bar element based on global coordinate approach. [12M]
7. Derive the shape function, strain displacement matrix element stiffness matrix for a two noded 1-D Element. [12M]
8. A 1-D 3 noded bar element at  $X_1=20\text{mm}$  at first node,  $X=24\text{mm}$  at middle node and  $X_2=36\text{mm}$ . Calculate the following [12M]
  - (i) shape function  $N_1$  and  $N_2$  at the middle point P.
  - (ii) if  $u_1=3\text{mm}$  and  $u_2=-5$ , calculate the displacement  $u$  at point P.
9. A 2 Noded truss element having the nodal displacement are  $u_1=6\text{mm}$  and  $u_2=9\text{mm}$  at the ends. Calculate the displacement at  $x=L/4, L/3$  and  $L/2$ . [12M]
10. What is static condensation? Explain procedure of static condensation . [12M]



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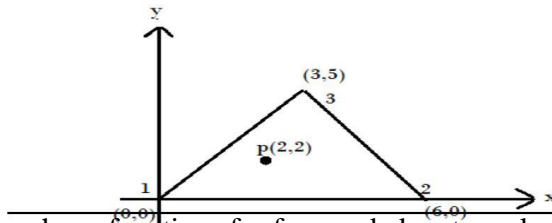
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**Year & Sem:** I-M.TECH & II-Sem

**UNIT-III**

**TWO DIMENSIONAL FEM**

1. Derive matrix equation for 2-D element(CST element). [12M]
2. (a) Differentiate between CST and LST elements. [12M]  
(b) Evaluate the shape functions  $N_1$ ,  $N_2$  and  $N_3$  at the interior point P for the triangular element shown in the figure below.



3. Derive shape functions for four noded rectangular elements. Use natural co-ordinate system.[12M]
4. Write and briefly explain the different types of elements for plain stress and plain strain analysis. [12M]
5. Derive the shape function for the Constant strain triangle element( CST) element. [12M]
6. Derive the strain-displacement matrix for CST element. [12M]
7. Explain about [12M]
  - (a) Geometric invariance
  - (b) Convergent and compatibility requirements
8. Derive the shape function and strain-displacement for an rectangular 4-noded element.[12M]
9. Write down the following? [12M]
  - (c) Global coordinate system
  - (d) Local coordinate system
  - (e) Natural coordinate system
  - (f) Discretization
10. Derive the Shape functions for the 3-noded triangle element (or) L.D.T (or) C.S.T. [12M]



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**UNIT-IV**

**ISOPARAMETRIC FORMULATIONS AND AXI-PARAMETRIC ANALYSIS**

1. Explain the isoperimetric concept in finite element analysis. [12M]
2. Explain the terms isoperimetric, sub parametric and super parametric elements. [12M]
3. Derive the Jacobian matrix for 4-noded rectangular element. [12M]
4. Explain the formulation of 4-noded 2-D iso-parametric quadrilateral element. Derive the strain displacement matrix and stiffness matrix. [12M]
5. Derive the shape function for 4-Noded isoperimetric quadrilateral element. [12M]
6. Derive the strain-displacement matrix for 4-Noded isoperimetric quadrilateral element. [12M]
7. Derive the shape function for 8-Noded isoperimetric quadrilateral element. [12M]
8. Explain the lagrangian and serendipity elements. [12M]
9. Derive the shape function for Axisymmetric (Rectangular) element. [12M]
10. Explain the axi symmetric analysis and axi-symmetrical formulation [12M]



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**UNIT-V**

**THREE DIMENSIONAL FEM AND FINITE ELEMENT ANALYSIS OF PLATES**

1. Explain the basic theory of plate bending. [12M]
2. Explain the basic relationships in plate bending theory. [12M]
3. Explain about different types of 3-D solid elements. [12M]
4. Explain about Hexahedral Isoperimetric elements. [12M]
5. What are the three dimensional stresses and strains explain the relation between them. [12M]
6. Write the stiffness matrix for a hexahedral element. [12M]
7. Explain basic relations in thin plate theory. [12M]
8. Briefly explain about Mindlin's approximations. [12M]
9. Explain finite element formulation for 8-noded isoperimetric solid element [12M]
10. Explain stress resultants in thin plates. [12M]